

COMBINATORICS
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Fractional perfect matchings in hypergraphs

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Abstract: A perfect matching in a k -uniform hypergraph $H=(V,E)$ on n vertices is a set of n/k disjoint edges of H , while a fractional perfect matching in H is a function w assigning to each edge of H a real number from $[0,1]$ in such a way that for each vertex v the sum of the weights of the edges containing v equals 1.

Given $n \geq 3$ and $2 \leq k \leq n$, let m be the smallest integer such that whenever the minimum vertex degree in H is at least m then H contains a perfect matching, and let m^* be defined analogously with respect to fractional perfect matchings. Clearly, m^* does not exceed m .

We prove that for large n , m and m^* are asymptotically equal, and suggest an approach to determine m^* , and consequently m , utilizing the Farkas Lemma. This is a joint work with Vojta Rodl.

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