

ALGEBRA  
SEMINAR

*The set of non- $n$ -th powers in a number field is Diophantine*

Jean-Louis Colliot-Thelene  
Universite Paris-Sud

**Abstract:** In a joint work with J. Van Geel, we prove: For any natural integer  $n$ , the complement of the set of  $n$ -th powers in a number field  $k$  is the image of the set of  $k$ -rational points of some  $k$ -variety  $X$  under some  $k$ -morphism from  $X$  to the affine line. For  $n=2$ , this is a result of B. Poonen (2009). His proof uses local-global theorems (CT, Coray, Sansuc, 1980) for rational points on Châtelet surfaces. Our proof for  $n$  arbitrary combines Poonens method and local-global theorems (CT, Swinnerton-Dyer, Skorobogatov, 1994, 1998) for zero-cycles on higher dimensional analogues of Châtelet surfaces.

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