

# Image Registration for Diagnosis of the Chiari Malformation

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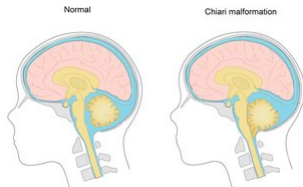
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# Understanding Chiari Malformation

## What is Chiari Malformation?

Chiari Malformation Type I (CMI) is a problem that occurs in the cerebellum and brain stem.



The brain tissue on the Chiari patient extends into the spinal canal  
NHS 2019

## Symptoms of Chiari Malformation

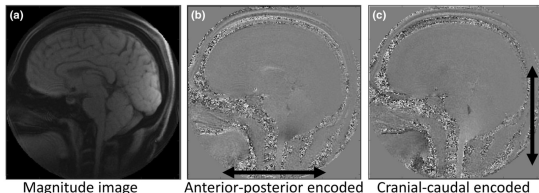
Some of the symptoms include:

- ▶ dizziness
- ▶ neck pain
- ▶ poor coordination
- ▶ severe headache
- ▶ vision and speech problems

# Diagnosing Type I Chiari Malformation (CMI)

## Findings of Nwotchouang et al. 2020

- ▶ CMI is not easy to detect from anatomical images
- ▶ Deformation Encoding with Stimulated Echoes (DENSE) MR imaging provides a better method
- ▶ Deformation of the cerebellum and brainstem is significantly larger in CMI patients than in controls



Nwotchouang et al. 2020

# Diagnosing Type I Chiari Malformation (CMI)

## Segmentation

- ▶ These findings motivate our work to automatically segment the cerebellum and brain stem.
- ▶ With these regions identified automatically, diagnosis from DENSE imaging can become cheaper and more feasible for wide-scale screening.

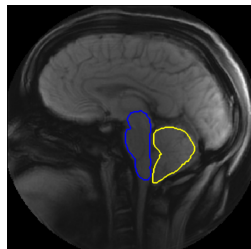
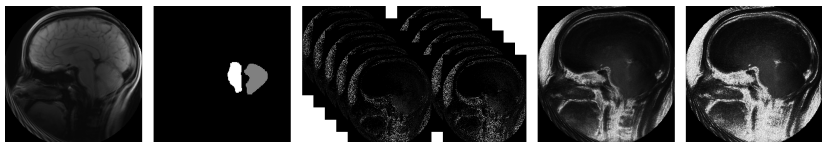


Figure: Brain stem outlined in blue, cerebellum in yellow

# Dataset

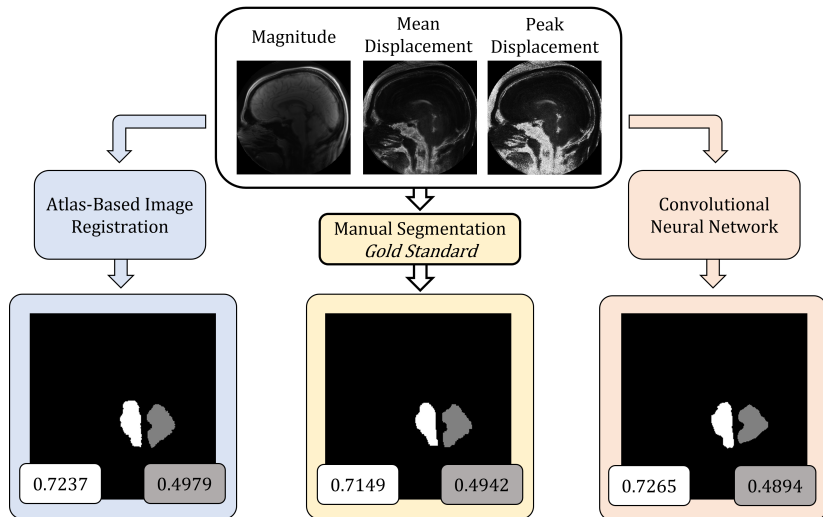
For each patient:



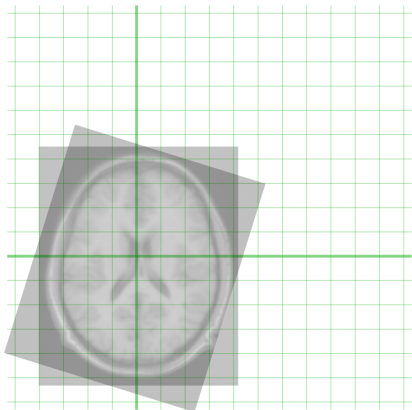
**Figure:** From left to right, an example of one patient's (1) magnitude MR image; (2) mask; (3) DENSE images representing one cardiac gate each; (4) temporal mean DENSE image; and (5) temporal peak DENSE image

- ▶ 52 subjects in training set
- ▶ Each image 256x256 pixels, grey values between 0 and 255
- ▶ Images provided by Dr. John Oshinski's Radiology Lab

# Segmentation Methods: Full Paper Overview



# Image Registration



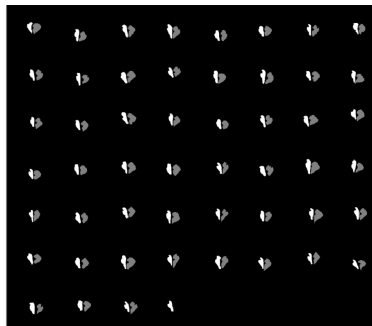
- ▶ Technique used to integrate multiple images together
- ▶ Transforms coordinate systems to align images
- ▶ Addresses rotation/scale/skew

**Figure:** Andrew Janke - Own work, Public Domain,  
<https://commons.wikimedia.org/w/index.php?curid=9437062>

# Image Registration

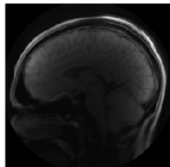
## Idea in Our Application

Use what we know, in our bank of already segmented template images, to learn segmentation for a new reference image

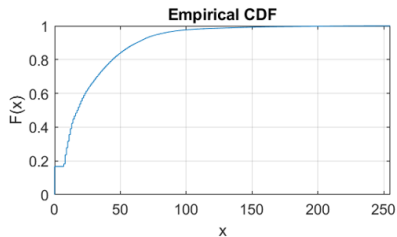
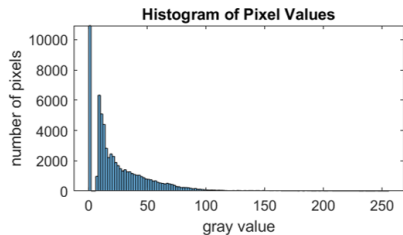




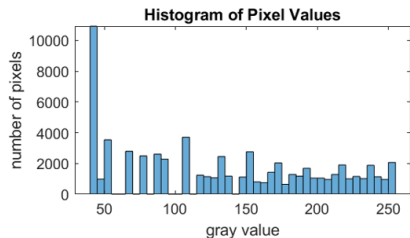
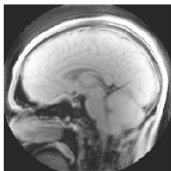
# Data Normalization



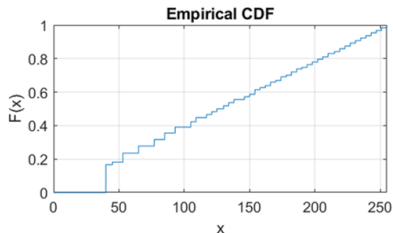
- ▶ Dramatically varying brightness and contrast in original images
- ▶ Complicates registration



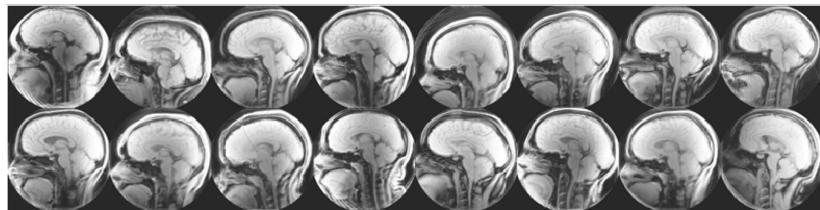
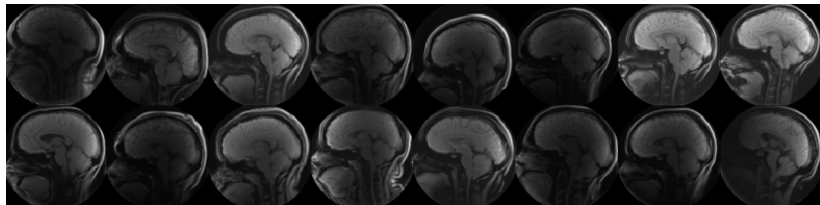
# Data Normalization



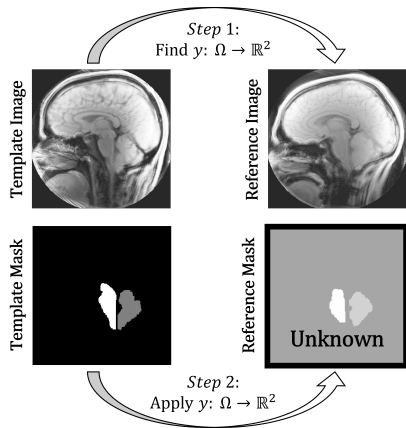
- ▶ histogram equalization uses the CDF as a mapping to normalize the histogram
- ▶ Helps increase contrast and make images all more similar to each other



# Data Normalization

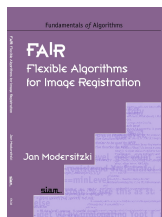


# Atlas-Based Segmentation



- ▶ Map a known **template image** to a new **reference image** with some  $y: \Omega \rightarrow \mathbb{R}^2$
- ▶ Apply  $y: \Omega \rightarrow \mathbb{R}^2$  to **template mask** to find **reference mask**

# Finding the Transformation



## Flexible Algorithms for Image Registration (FAIR) Toolbox

We implemented methods using this MATLAB toolbox (Modersitzki 2009) that includes functions designed for this kind of image registration

# Finding the Transformation

## Introducing Notation

Thinking about images as interpolated functions

- ▶ Coordinates of pixels in the image grid:  $\Omega \subseteq \mathbb{R}^2$
- ▶ Template image  $\mathcal{T} : \Omega \rightarrow \mathbb{R}$
- ▶ Reference image  $\mathcal{R} : \Omega \rightarrow \mathbb{R}$
- ▶ Transformation:  $y : \Omega \rightarrow \mathbb{R}^2$

## Aiming to Find

$$\mathcal{T}[y](x) \approx \mathcal{R}(x) \quad \text{for all } x \in \Omega.$$

# Finding the Transformation

## Objective Functional

$$\mathcal{J}_{\text{atlas}}[y] = D_{\text{SSD}}[\mathcal{T}[y], \mathcal{R}] + \alpha \mathcal{S}[y]$$

- ▶ Sum of Squares Distance:

$$D_{\text{SSD}}[\mathcal{T}[y], \mathcal{R}] = \frac{1}{2} \int_{\Omega} (\mathcal{T}[y](x) - \mathcal{R}(x))^2 dx.$$

- ▶ Regularization parameter:  $\alpha$
- ▶ Regularization functional:  $\mathcal{S}$

## Example

FAIR: E6\_Hands\_affine.m

# Multilevel Optimization Approach

## Why are we thinking about images like functions?

- ▶ Gauss Newton optimization – dependent on initial guess
- ▶ Relatively hard optimization problem to find this transformation  $y$  when using our original 256x256 pixel images (many local minima)
- ▶ By thinking about the images as functions, this allows us to find coarser (ie, “more pixel-y”) representations
- ▶ Idea: use coarser representations to find make an easier optimization problem and find a better initial guess to use on our actual finer image

## Example

FAIR: E3\_multilevel.m, E6\_Hands\_MLPIR.m,  
(E9\_Hands\_MLIR\_SSD\_mbElas.m, using different regularizer)



# Atlas-Based Example: Image Transformation

Back to our setting: we choose a template from our “bank” of already segmented images that we think looks closest to our new reference image, then apply registration

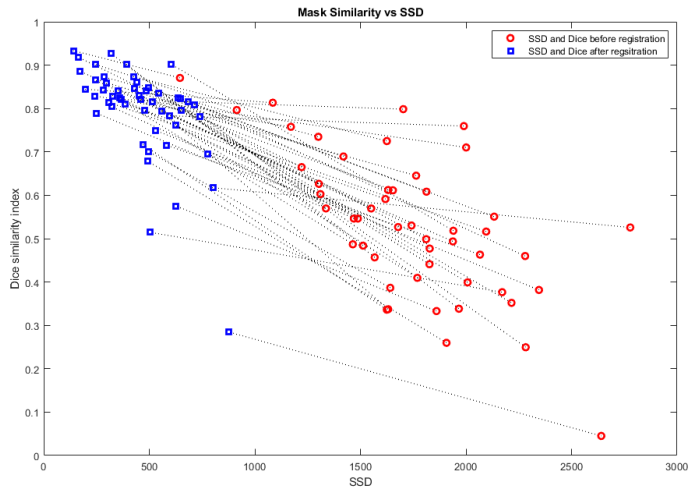
## FAIR Registration

- ▶ Distance Measure: Sum of Squares
- ▶ Regularizer: Hyperelastic
- ▶ Multilevels: 5-8
- ▶ Registration Parameter:  $\alpha = 1000$

## Example

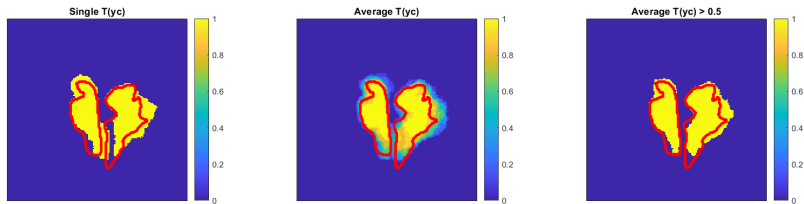
chiari\_example.m

# Mask Similarities Before and After Registration



# Averaging Registrations

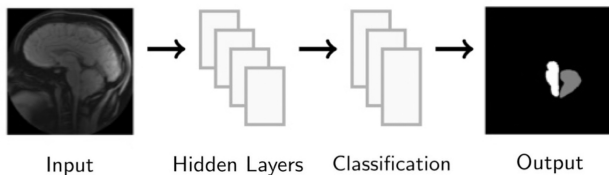
- ▶ Can perform registrations with many different templates
- ▶ We “average” together registrations, and choose to include pixels in our output segmentation only if many agree



## Example

chiari\_example\_average.m

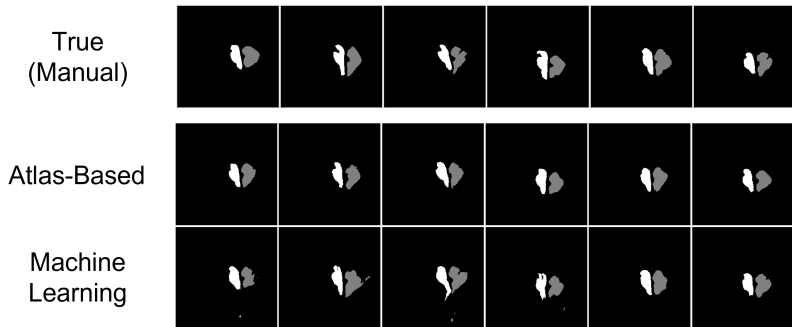
# Machine Learning



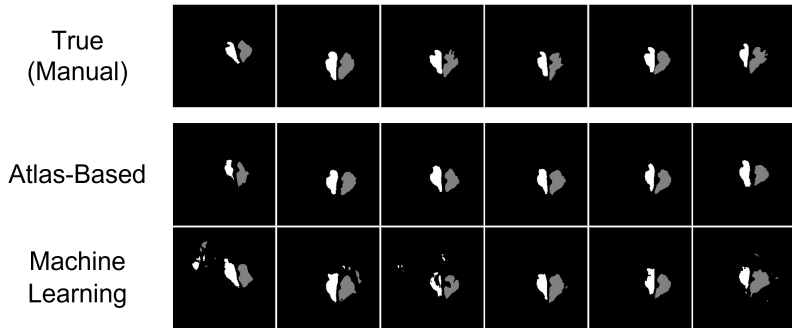
How can machine learning be applied to this same segmentation problem?

Ask Elle! Using U-net, roughly equivalent segmentations were found. (Okay, they were usually better.)

# Results



# Results






## Questions/Comments/Anything Else?

If you're interested in some casual light reading, our paper is available at: <https://www.siam.org/publications/siuro/volume-15> (DOI: 10.1137/21S1448392)

Thanks for coming!

# Bibliography

-  Modersitzki, Jan (2009). *FAIR: flexible algorithms for image registration*. Vol. 6. Fundamentals of Algorithms. Society for Industrial and Applied Mathematics (SIAM), Philadelphia, PA.
-  NHS (2019). *Chiari Malformation*. URL: <https://www.nhs.uk/conditions/chiari-malformation/> (visited on 06/30/2021).
-  Nwotchouang, Blaise Simplicie Talla et al. (Dec. 2020). "Regional Brain Tissue Displacement and Strain is Elevated in Subjects with Chiari Malformation Type I Compared to Healthy Controls: A Study Using DENSE MRI". In: *Annals of Biomedical Engineering*, pp. 1–15.